

Development of a Dissipative Particle Dynamics framework for simulating tetra-PEG gels with degradable crosslinks

Vaibhav Palkar, Chandan K. Choudhury, Olga Kuksenok

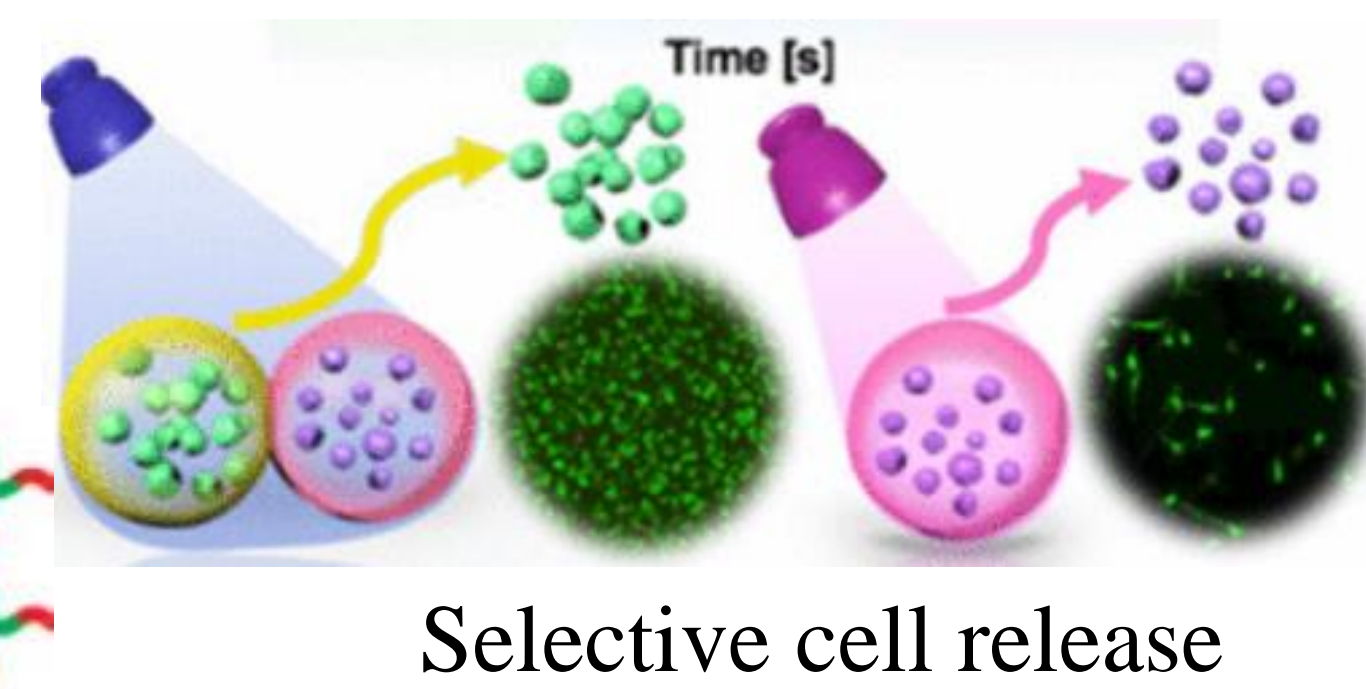
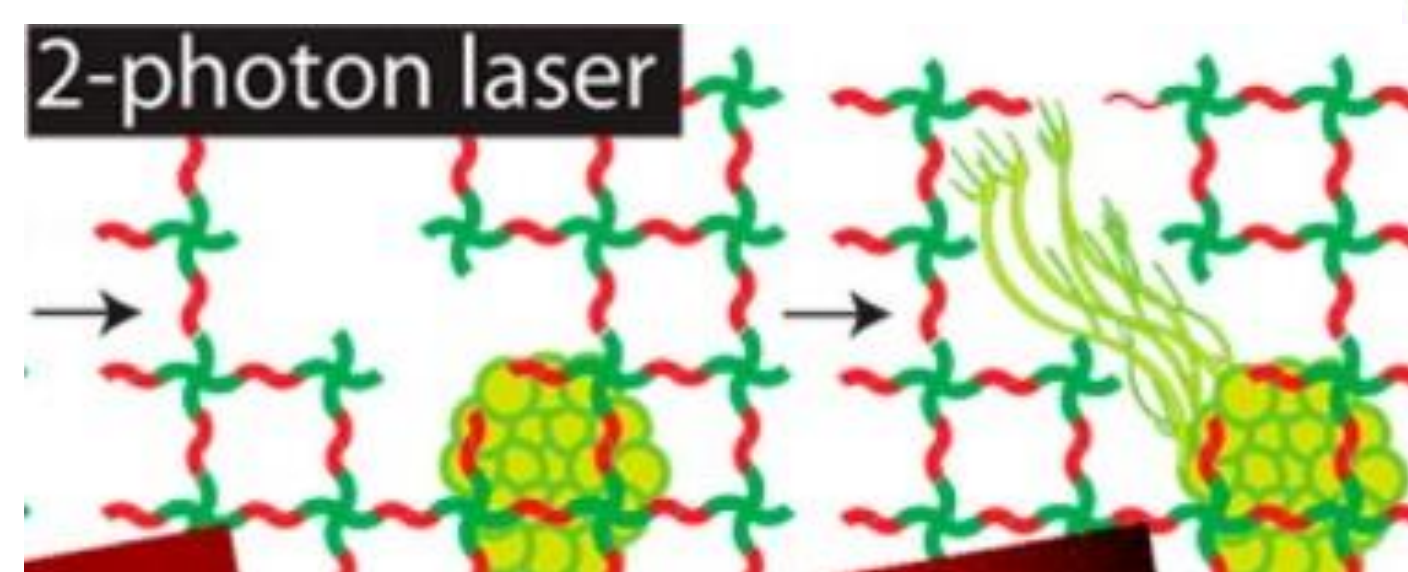
Department of Materials Science and Engineering, Clemson University

MADE in SC



Motivation

Biomedical applications of controllably degradable tetra-PEG gels



Truong, V. X., et al. (2017). *ACS Appl. Mat. & Inter.*, 9(38), 32441

Directed growth of neural networks using degradable gels

McKinnon, D. D. et al. (2014) *Biomacro.* 15(7), 2808

Goal: Develop a coarse-grained numerical framework for simulating degradation in gels

Modeling Gels using DPD

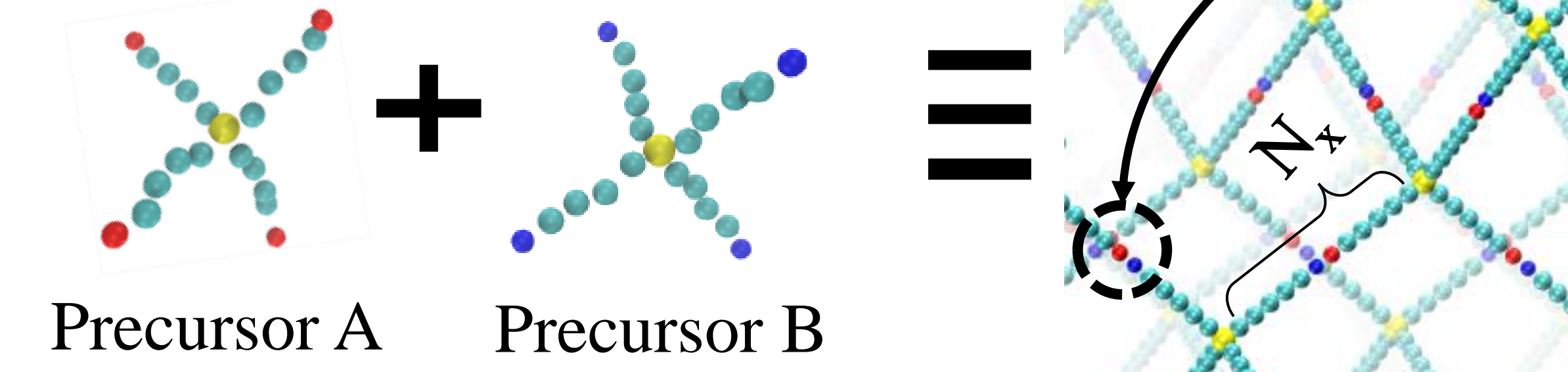
Mesoscale model: DPD

- Multiple atoms \rightarrow DPD beads
- Soft potential \rightarrow large time steps
- Conserves momentum

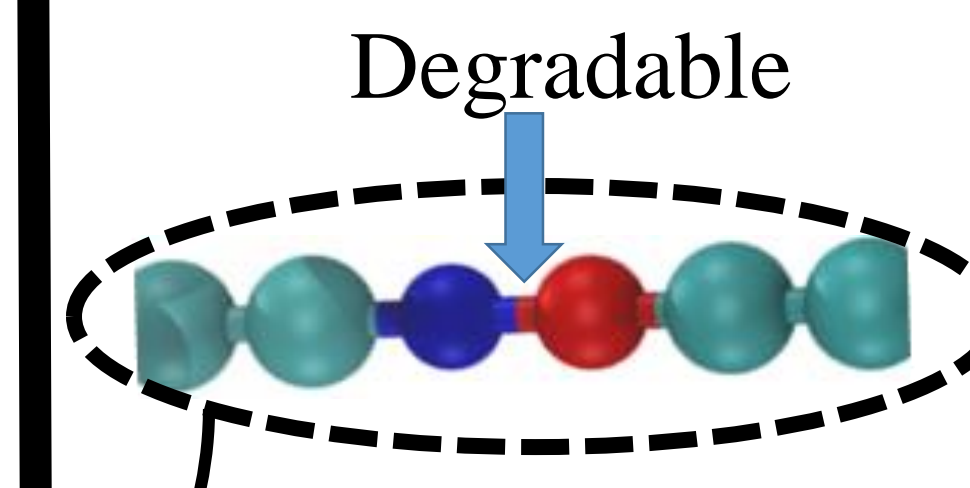
$$\mathbf{F}_{ij}^C = a_{ij} \left(1 - \frac{r_{ij}}{r_c}\right) \hat{\mathbf{e}}_{ij} \quad a_{ii} = 78 k_B T / r_c$$

$$a_{pw} = 80 k_B T / r_c$$

Starting structure for simulations



Bond Breaking with Segment Repulsion

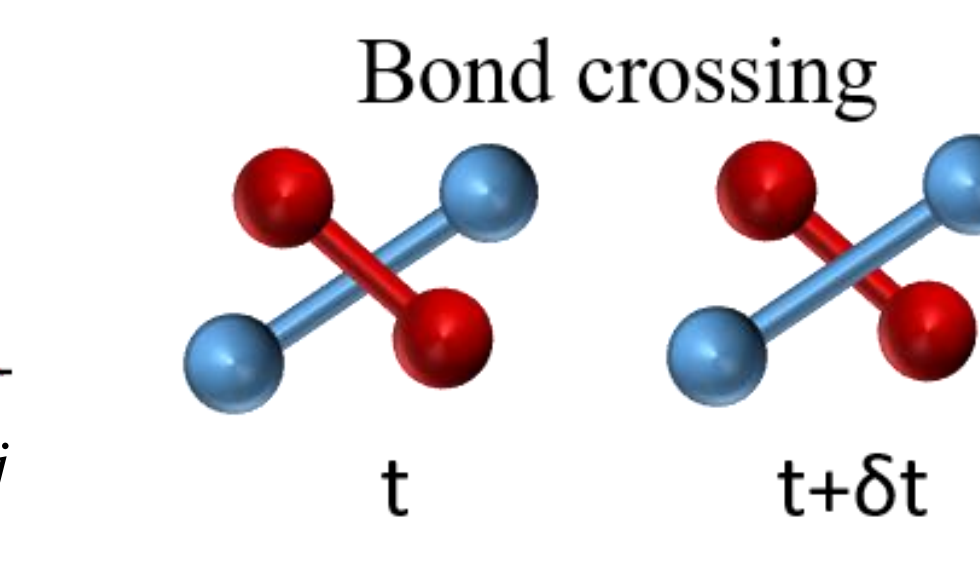
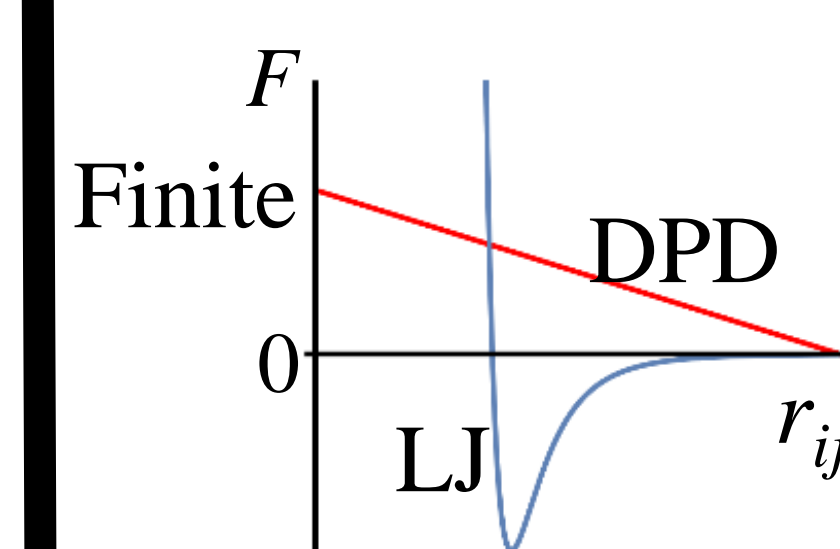


Stochastic model

- p : bond breaking probability
- τ_R : breaking event interval
- $k = p/\tau_R$ breaking rate

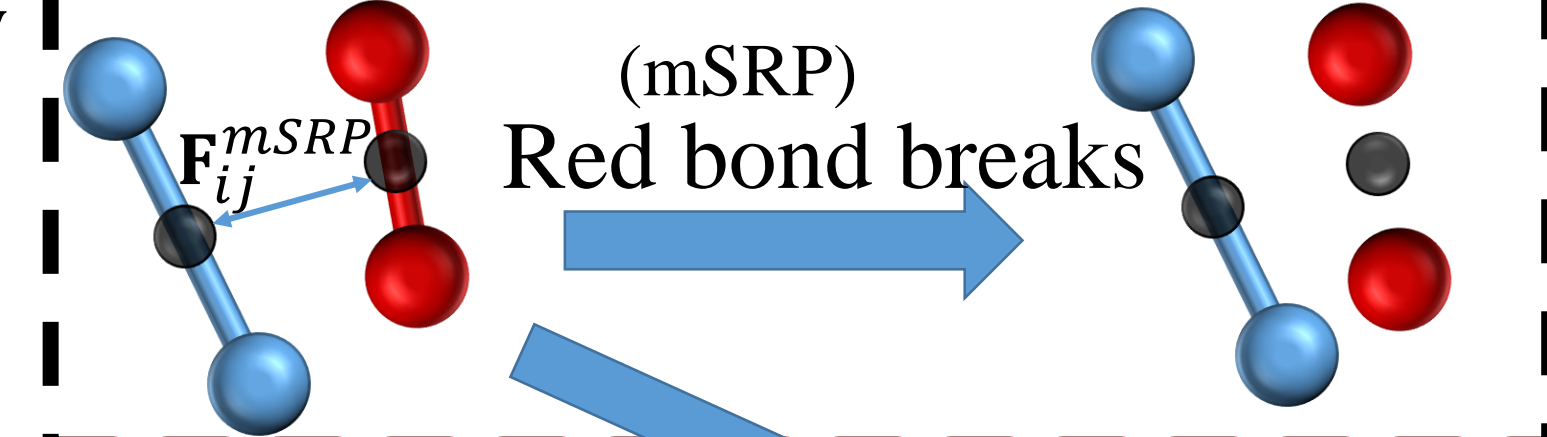
fix bond/break

Suppress bond crossing – apply segment repulsion



Modified segmental repulsive potential (mSRP) Sirk, T. W., et al. (2012). *J. Chem. Phys.*, 136(13)

Current LAMMPS implementation



Our extension
When bond is broken, delete corresponding SRP particle

pair srp fix srp
– compute forces – create initial srp particles

Method – Updated Implementation

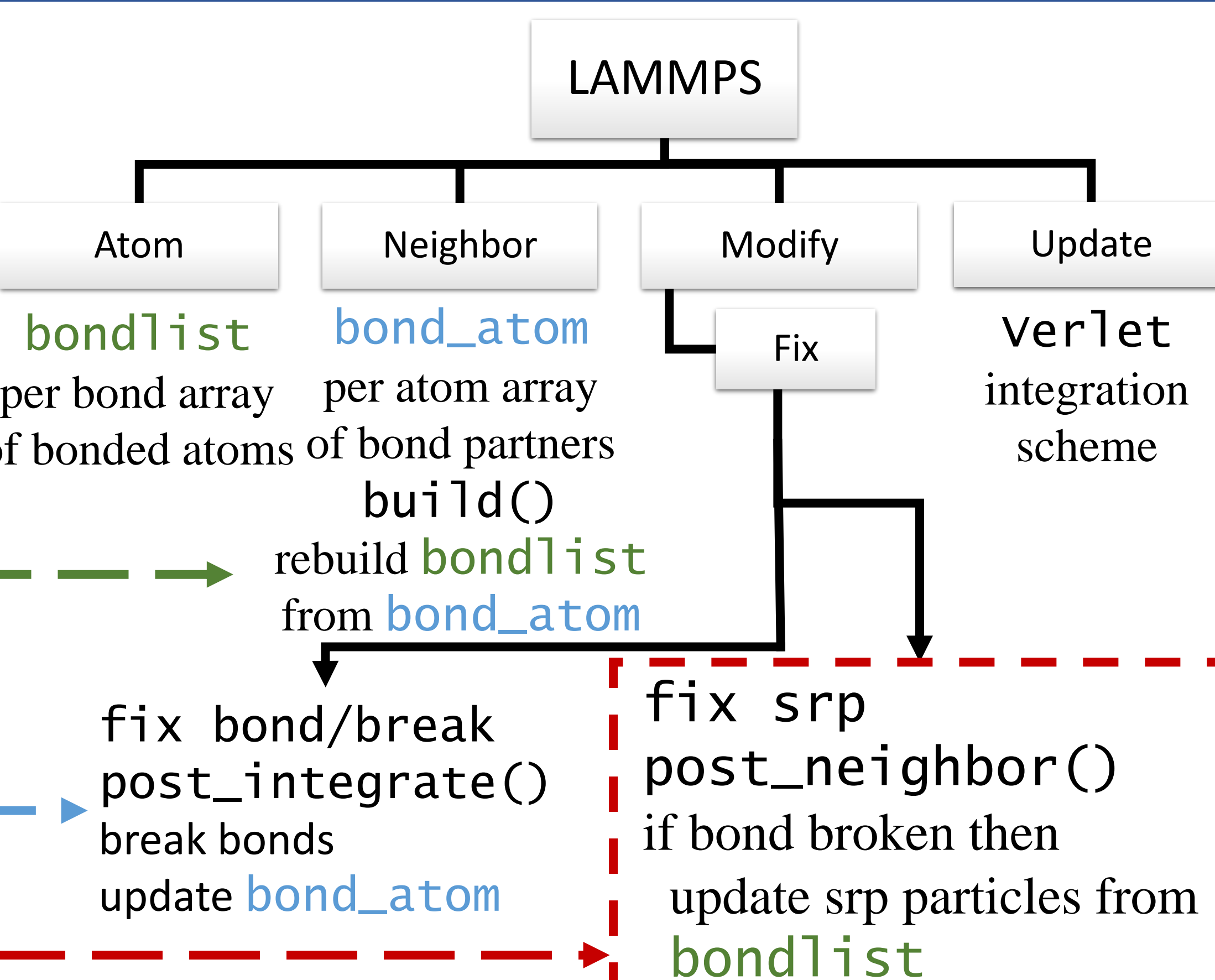
```
Loop over N timesteps
fix->initial_integrate();
fix->post_integrate();
```

```
nflag=neighbor->decide();
if nflag:
  fix->pre_neighbor();
  neighbor->build();
  fix->post_neighbor();
end if
```

```
fix->pre_force();
force->compute();
fix->post_force();
```

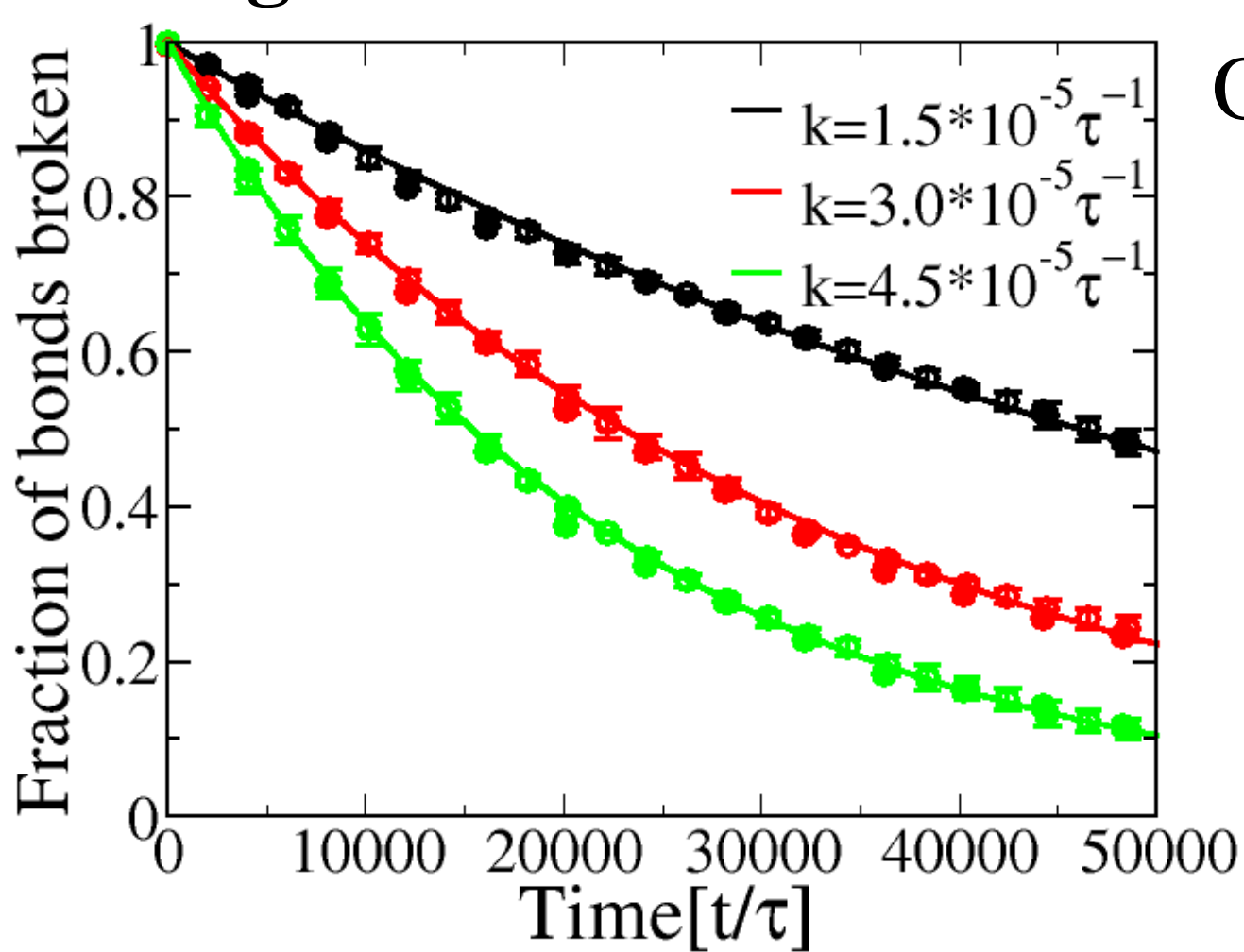
```
fix->final_integrate();
```

verlet pseudocode



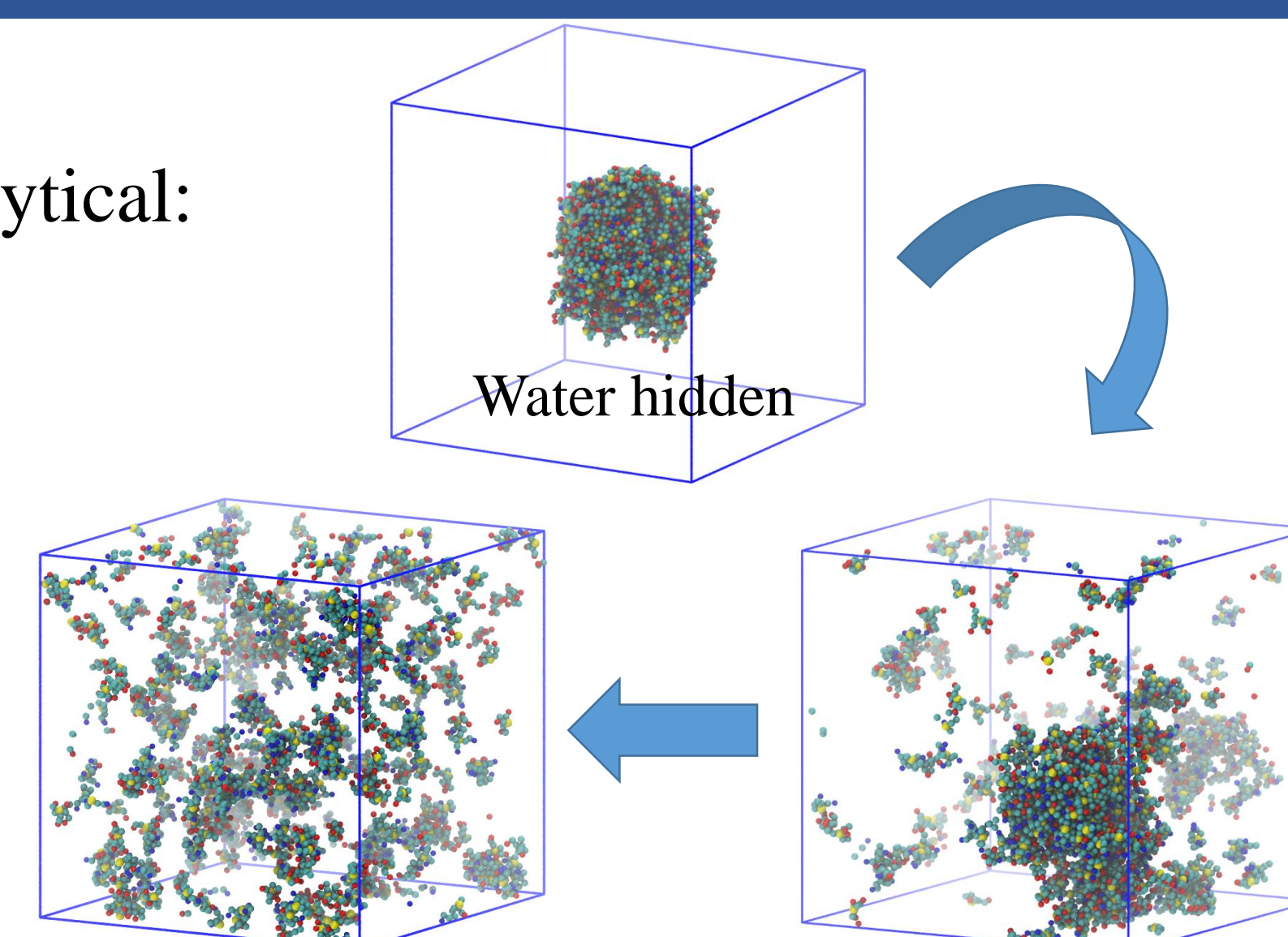
Validation

Degradation rate control

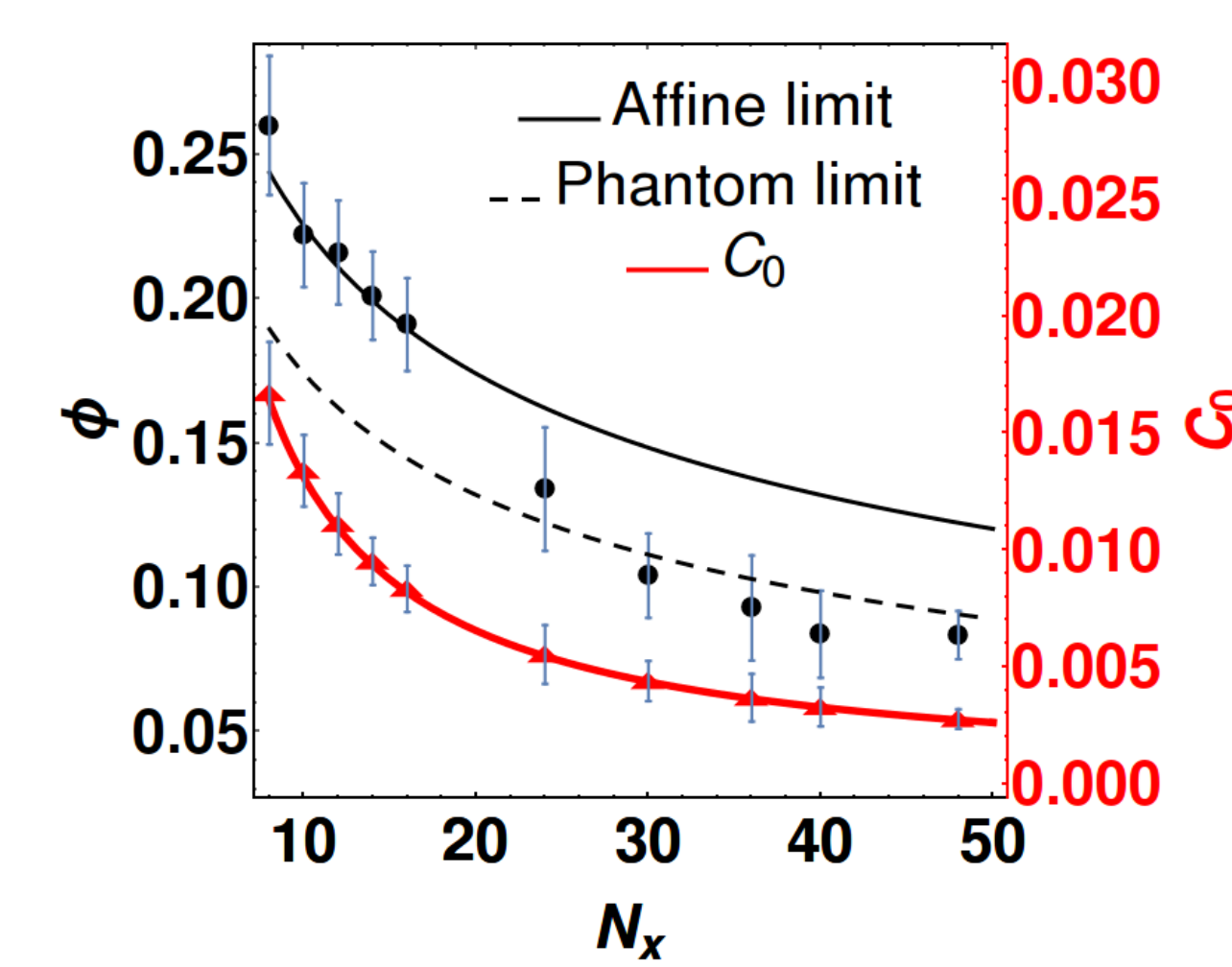


Overlap with analytical:

$$\frac{N}{N_0} = \exp(-kt)$$



Swelling without degradation



Lines: Fit with Flory-Rehner theory

$$\phi + \chi\phi^2 + \ln(1-\phi) - \frac{\phi}{2\phi_0} - \left(\frac{\phi}{\phi_0}\right)^{\frac{1}{3}} = 0$$

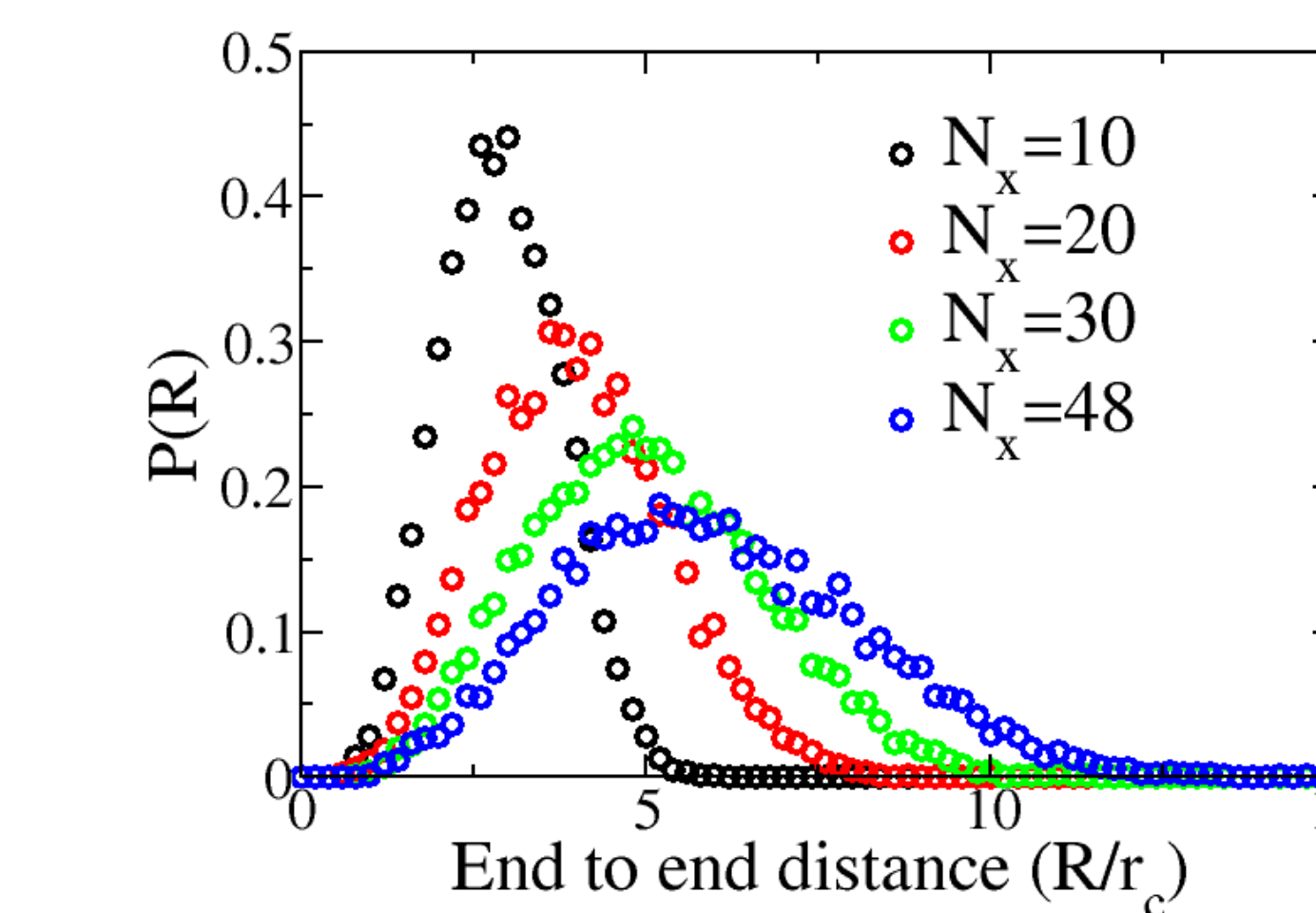
Fitting parameters: $\chi=0.45, \phi_0=0.4$

Transition from affine to phantom network models agrees with experiments

Akagi, Y. et al (2013) *Macromolecules*, 46(3), 1035

Results

Chain length distribution in swollen gels



$$a_{pw} = 83 k_B T / r_c$$

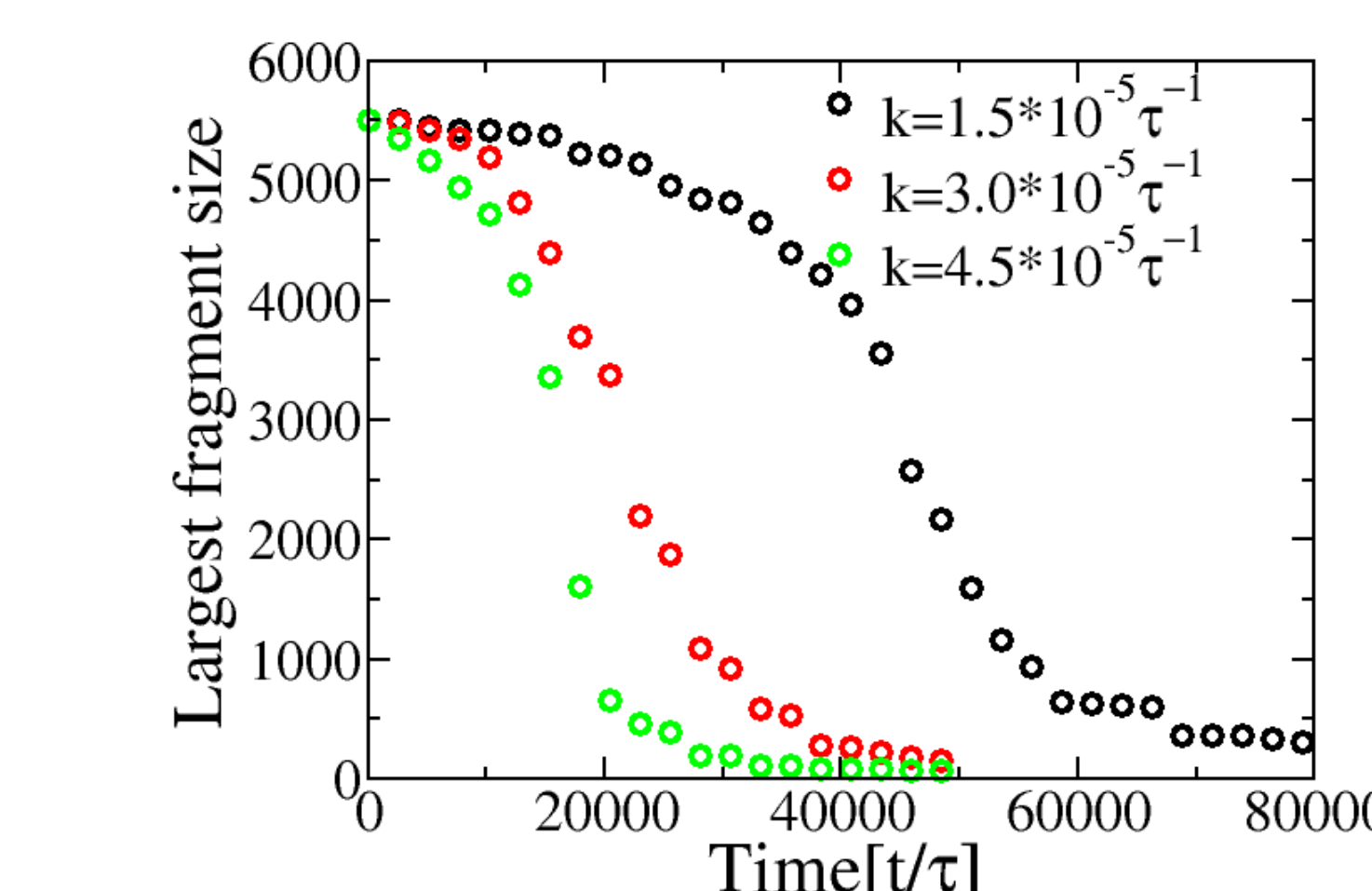
$$r = \frac{\langle R^4 \rangle}{\langle R^2 \rangle^2} = \frac{\int_0^\infty R^4 P(R) dR}{\left(\int_0^\infty R^2 P(R) dR\right)^2} = \frac{5}{3} = 1.67$$

r : Gaussian character

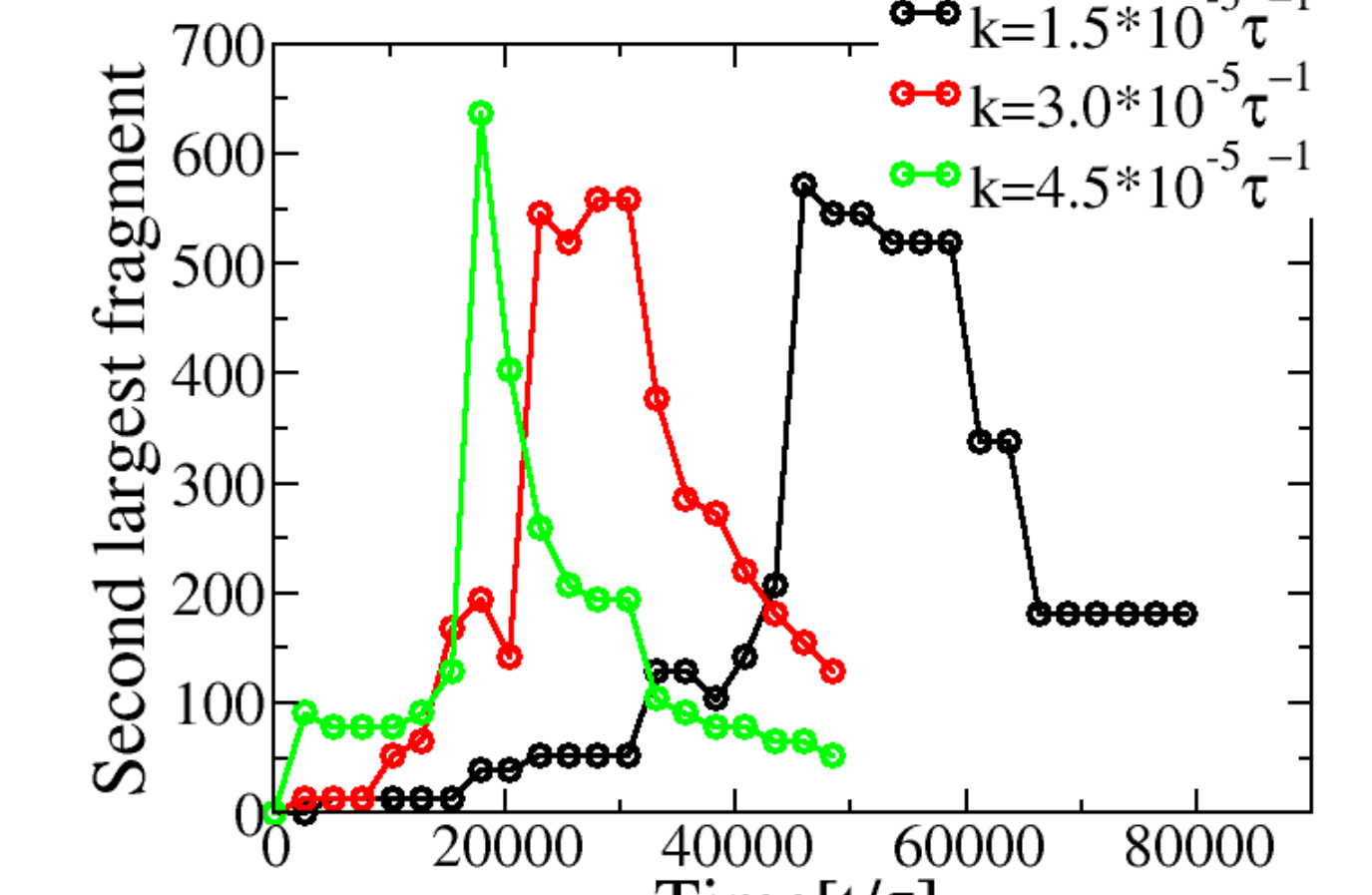
Kremer, K., & Grest, G. S. (1990). *J. Chem. Phys.*, 92(8), 5057

N_x	r
10	1.30
20	1.37
30	1.40
48	1.48

Fragment size evolution analysis: fragment size – # of beads



Largest fragment size decreases over time



“Reverse gelation” peak

Conclusions and Future work

- ✓ Initial framework for simulating degradable gels
- ✓ Control over degradation rate
- “Reverse gelation” vs. surface erosion
- Introduce reversible bonds

Acknowledgements

This work was supported in part by the National Science Foundation EPSCoR Program under NSF Award # OIA-1655740. Clemson University is acknowledged for generous allotment of compute time on Palmetto cluster.